

Mastery Overview Spring



SOL Overview

As well as providing term by term overviews for the new National Curriculum, as a Maths Hub we are aiming to support primary schools by providing more detailed Schemes of Learning, which help teachers plan lessons on a day to day basis.

The following schemes provide exemplification for each of the objectives in our new term by term overviews, which are linked to the new National Curriculum. The schemes are broken down into fluency, reasoning and problem solving, which are the key aims of the curriculum. Each objective has with it examples of key questions, activities and resources that you can use in your classroom. These can be used in tandem with the mastery assessment materials that the NCETM have recently produced.

We hope you find them useful. If you have any comments about this document or have any suggestions please do get in touch.

Thank you for your continued support with all the work we are doing.

The White Rose Maths Hub Team

Assessment

Alongside these curriculum overviews, our aim is also to provide an assessment for each term's plan. Each assessment will be made up of two parts:

Part 1: Fluency based arithmetic practice **Part 2:** Reasoning based questions

You can use these assessments to determine gaps in your students' knowledge and use them to plan support and intervention strategies.

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The autumn term assessments are now available. we aim to have the spring term assessments completed by February half term.



Teaching for Mastery

These overviews are designed to support a mastery approach to teaching and learning and have been designed to support the aims and objectives of the new National Curriculum.

The overviews:

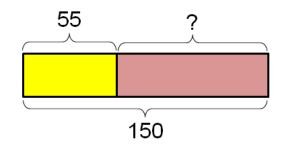
- have number at their heart. A large proportion of time is spent reinforcing number to build competency.
- ensure teachers stay in the required key stage and support the ideal of depth before breadth.
- ensure students have the opportunity to stay together as they work through the schemes as a whole group.
- provide plenty of time to build reasoning and problem solving elements into the curriculum.

Concrete – Pictorial – Abstract

As a hub we believe that all students, when introduced to a key new concept, should have the opportunity to build competency in this topic by taking this approach.

Concrete – students should have the opportunity to use concrete objects and manipulatives to help them understand what they are doing.

Pictorial – students should then build on this concrete approach by using pictorial representations. These representations can then be used to reason and solve problems.



An example of a bar modelling diagram used to solve problems.

Abstract – with the foundations firmly laid, students should be able to move to an abstract approach using numbers and key concepts with confidence.



Frequently Asked Questions

We have bought one of the new Singapore textbooks. Can we use these curriculum plans?

Many schools are starting to make use of a mastery textbook used in Singapore and China, the schemes have been designed to work alongside these textbooks. There are some variations in sequencing, but this should not cause a large number of issues.

If we spend so much time on number work, how can we cover the rest of the curriculum?

Students who have an excellent grasp of number make better mathematicians. Spending longer on mastering key topics will build a student's confidence and help secure understanding. This should mean that less time will need to be spent on other topics.

In addition schools that have been using these schemes already have used other subjects and topic time to teach and consolidate other areas of the mathematics curriculum.

My students have completed the assessment but they have not done well.

This is your call as a school, however our recommendation is that you would spend some time with the whole group focussing on the areas of the curriculum that they do not appear to have grasped. If a couple of students have done well then these could be given rich tasks and deeper problems to build an even deeper understanding.

Can we really move straight to this curriculum plan if our students already have so many gaps in knowledge?

The simple answer is yes. You might have to pick the correct starting point for your groups. This might not be in the relevant year group and you may have to do some consolidation work before.

These schemes work incredibly well if they are introduced from Year 1 and continued into Year 2, then into Year 3 and so on.



NCETM Mastery Booklets

In addition to the schemes attached the NCETM have developed a fantastic series of problems, tasks and activities that can be used to support 'Teaching for Mastery'. They have been written by experts in mathematics.

It will also give you a detailed idea of what it means to take a mastery approach across your school.

Information can be found on the link below.

https://www.ncetm.org.uk/resources/46689



WRMH Primary Network

Over the past 12 months we have been working with a company called MyFlo to develop a free online platform where teachers from across our region (and wider) can share their own resources and lesson plans based on this new curriculum. All our overviews, schemes and assessment materials will be made available on the MyFlo network.

Everyone Can Succeed

As a Maths Hub we believe that all students can succeed in mathematics. We do not believe that there are individuals who can do maths and those that cannot. A positive teacher mindset and strong subject knowledge are key to student success in mathematics.

More Information

If you would like more information on 'Teaching for Mastery' you can contact the White Rose Maths Hub at mathshub@trinityacademyhalifax.org

We are offering courses on:

- Bar Modelling
- Teaching for Mastery
- Year group subject specialism intensive courses become a Maths expert.

Our monthly newsletter also contains the latest initiatives we are involved with. We are looking to improve maths across our area and on a wider scale by working with other Maths Hubs across the country.



Year 3 Overview

	Week 1	Week 2	Week 3	Week 4	Week 5	Week 6	Week 7	Week 8	Week 9	Week 10	Week 11	Week 12
Autumn		er: Place alue Number: Addition and Subtraction Number: Multiplication and Division			Measu	rement						
Spring		er: Multipli nd Divisio		Ме	asureme	nt	Number: Fractions		Consol	idation		
Summer	Number: Fractions Geometry Shapes		erty of		Measu	rement		Statistics	Consolidation			



Year G	iroup	Y3	Те	erm	Spring						
Week 1	Week 2	Week 3	Week 4	Week 5	5 Week 6	Week 7	Week 8	Week 9	Week 10	Week 11	Week 12
facts for the stables. Solve problems invedivision, position and correspond by the statements for using the multincluding for the statement of	e multiplicat e multiplicat 3, 4 and 8 m ns including olving multip tive integer ndence probonnected to culate math or multiplica ltiplication to two-digit nu nbers, using	cion and division ultiplication missing number plication and scaling problems plems in which <i>n</i> <i>m</i> objectives. ematical tion and division ables they know, mbers times mental methods	clock, includir 12-hour and 2 Estimate and accuracy to the Record and co seconds, minu Use vocabular morning, after Know the numb and the numb year and leap	the time fr ag using Ror 4-hour cloo read time w ie nearest n ompare time utes and ho ry such as o rnoon, noo hoer of seco ber of days i year. ations of eve time taken	with increasing minute. e in terms of ours. o'clock, am/pm, on and midnight. onds in a minute in each month, rents [for example	and non-unit Recognise, fir objects: unit denominator Count up and Recognise tha 10 equal part quantities by	d use fractions fractions with s nd and write fra fractions and no s. I down in tenths at tenths arise f is and in dividin	small denomina actions of a disc on-unit fraction s. from dividing a	ators. crete set of ns with small n object into	end of th consoli gap filling activities, a	beginning or e term for idation, i, seasonal ssessments, tc.



	National Curriculum Statement	All students				
	National Ourrediant Otatement	Fluency	Reasoning	Problem Solving		
Multiplication and Division	Recall and use multiplication and division facts for the 3, 4 and 8 multiplication tables.	 Solve: 3 x 4 = 4 x 3 = 12 ÷ 3 = 24 ÷ 8 = Fill in the boxes: 3 x = 21 x 8 = 32 40 ÷ = 8 Shakira buys 8 boxes of cupcakes. There are 4 cupcakes in each box. How many cupcakes does she buy altogether? 	 Use the array to complete the number sentences below: 3 × = 3 × 3 = ÷ 3 = ÷ 3 = ÷ = 3 What is wrong with this division sentence? 4 ÷ 10 = 40 Can you correct it? 	 Fill in the boxes below using 8 different whole numbers. x = 24 • Mia has 17 pounds. She wants to buy some cakes and chocolates. Cakes cost £3 and chocolates cost £4. How many different combinations of cakes and chocolates could she buy?		



			All students	
	National Curriculum Statement	Fluency	Reasoning	Problem Solving
Multiplication and Division	Solve problems including missing number problems involving multiplication and division, positive integer scaling problems and correspondence problems in which <i>n</i> objects are connected to <i>m</i> objectives.	 Fill in the boxes: 5 x = 15 X 4 = 32 48 ÷ = 8 Jemima has a toy car measuring 8cm. Aisha has a toy train that is 8 times as long as the car. How long is the train? Kainat is making buns. For every 40g of flour she needs 1 egg. If she uses 5 eggs, how many grams of flour does she use? If she uses 400g of flour, how many eggs does she need? 	 12 buns are shared between 3 boys. 16 buns are shared between 4 girls. Who gets more buns, boys or girls? Explain your answer. For every 3 boys in class there are 2 girls. Which of the combinations of boys and girls could be correct? 18 boys and 12 girls 15 boys and 10 girls 21 boys and 9 girls 12 boys and 8 girls Show your thinking using a picture. How many different combinations of numbers can you find that would fit in the empty boxes? 5 x = 10 x = 	 Use the numbers 1 - 8 to fill the circles below:



National Curriculum Statement	All Students				
	Fluency	Reasoning	Problem Solving		
Write and calculate mathematical statements for multiplication and division using the multiplication tables they know, including for two-digit numbers times one-digit numbers, using mental and progressing to formal written methods.	• Use place value counters to multiply a two digit number and one digit number together. 23 x 4 20 3 23 x 4 20 3 23 x 4= Set up a grid with 4 rows as we are finding 4 lots of 23. Make 23 in each row using the place value counters. Add up each column, starting with the ones to find out your answer. • $3 \times 5 =$ Complete this statement and use this to solve the multiplication below: $3 \times 50 =$ $30 \times 5 =$ $5 \times 3 =$ • Solve: 2 0 3 8 x 8 4 2 0 3 8 x 4	 Always, sometimes, never A two digit number multiplied by a one digit number makes a two digit answer. Fill in the missing boxes. 10 5 40 Explain your answer. Hassan is calculating 32 x 5. He writes his answer 15010. Can you work out Hassan's mistake and write an explanation of how he could do it correctly? 	 Using the digit cards in the multiplication below how close can you get to 100? 2 3 4 2 3 4 Fill in the missing digits in the multiplication below: 2 3 × 4 4 + 1 0 		



	National Curriculum Statement	All Students				
		Fluency	Reasoning	Problem Solving		
Measurement - Time	Tell and write the time from an analogue clock, including using Roman numerals and 12-hour and 24-hour clocks.	 What time is shown on the analogue clocks below? Image: A state of the state o	 The clock only has one hand. What time could the clock show? Explain your choice carefully. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: the time on a 24 - hour clock. Image: th	 What is different about the clock below? Can you still use it to tell the time? Image: Image: Im		



	National Curriculum Statement		All Students			
	National Ourrealant Otatement	Fluency	Reasoning	Problem Solving		
Measurement - Time	Estimate and read time with increasing accuracy to the nearest minute.	 Write the time on the clocks to the nearest minute. Image: second secon	 Look at the clock face below. Can you explain why there are two sets of numbers on it? What do they mean? ⁶⁰ ¹¹² ¹² ¹² ¹⁰ ² ⁶⁰ ⁶⁰	 These clocks have been reflected in a mirror. Can you work out what time they show? Image: A start of the sta		



	National Curriculum Statement	All Students				
		Fluency	Reasoning Problem Solving			
Measurement	Record and compare time in terms of seconds, minutes and hours.	 Use a stopwatch to record the following events: a) Time taken to run all the way around the playground. b) Time taken to complete 10 mental maths questions. c) Time taken to do 20 star jumps. How long did each event take? Which took the longest? Would you record your time in seconds or minutes? In 1913 the world record for the quickest mile run by a man was 4 minutes 14 seconds. The world record is currently is 3 minutes 43 seconds. What is the difference in times? Can you find and compare other world records? How long do you think it would take you to run mile? 	 Dan takes 153 seconds to skip around the playground. Tilly takes 2 minutes 23 seconds. Who is the quickest? Explain how you know. Cut up the cards below and turn them over. Try to find a matching pair of an activity and the length of time you think it takes. Does everyone agree with the time it takes? How can you prove it? Time taken to count from 10 seconds 1 to 10 Time taken to brush your 90 minutes teeth Time taken to run 100m 3 minutes Time taken to ravel to 5 seconds Spain. Time taken 2 hours football and the leaves to brush your 90 minutes teeth Time taken to travel to 5 seconds Spain. Time taken 2 hours football and the leaves to a later ballet class that starts at 6:40. What time will she have to leave her house now? 			



	National Curriculum Statement	All Students					
		Fluency	Reasoning	Problem Solving			
Measurement	Use vocabulary such as o'clock, am/pm, morning, afternoon, noon and midnight.	 Sort the times below into am and pm. 5 o'clock in the morning. 3 o'clock in the afternoon. 08:45 16:43 Can you write one more time to join each group? Use the vocabulary cards below to fill in the gaps about Sita's day. Sita's alarm went off at seven 	 Caroline says: "Any time that it is dark is pm and any time that it is light is am." Do you agree? Explain your thinking. Can you complete the sentence below in 2 different ways? 12 o'clock in the can also be called Explain the difference in the two sentences. 	 Match the words to their meanings. o'clock Time between midnight and noon morning Time from noon to evening am 12 o'clock at night afternoon Post meridiemafter noon pm Middle of the day midnight Ante meridiembefore midday Inoon Used to specify the hour 			



	National Curriculum Statement	All Students			
	National Ourneardin Otatement	Fluency	Reasoning Problem Solving		
Measurement		Cut up the cards below and play a matching game with a friend. When you get a pair you keep it. The player with the most pairs wins!	 Rehan says 'When I add the number of days in 2 different months up, it always makes an odd number.' Do you agree? Explain your reasoning. The months of February to May have fallen out of my calendar. Can you work out which calendar pages below match to which month? M T W T F S S M T W		
nt		7 days 1 week 1 month about 4 weeks	 Daniel says "The number of days in the last two years add up to make an odd number. I now know that next year is not a leap year." Is Daniel correct? Can he be sure? Is Daniel correct? Can he be sure? 		
nei	Know the number of seconds in a	12 months 1 year 24 hours 1 day	True or False To check if a year is a leap year, I		
Irer	minute and the number of days in each month, year and leap year.	• Fill in the missing numbers in the rhyme.	only need to check the number of days in one month. 7 8 9 10 11 12 13 3 4 5 6 7 8 9 14 15 16 17 18 19 20 10 11 12 13 3 4 5 6 7 8 9 14 15 16 17 18 19 20 10 11 12 13 14 15 16		
nsı		days have September, April, June and November. All the rest have, except for	Explain your answer. 21 22 23 24 25 26 27 17 18 19 20 21 22 23 28 29 30 24 25 26 27 28 29 30 24 25 26 27 28		
Mea		 February alone. Which has each year and in a leap year. Can you use the picture below to 	Dan is thinking of a month. He gives two clues to help his friends guess.		
		 Can you use the picture below to tell me how many days are in each month? Interpret of the picture below to tell me how many days are in each month? 	 When I add the number of days in my month and the month before it equals 62 days. When I add the number of days in my month and next month it equals 60. 		
			month it equals 60. What month is Dan thinking of		



	National Curriculum Statement		All Students	
		Fluency	Reasoning	Problem Solving
Measurement	Compare durations of events [for example to calculate the time taken by particular events or tasks].	 A TV programme starts at 5:20 and finishes at 6:05. How long does the programme last for? Kieran is learning his times tables. On Monday it takes him 1 minute and 12 seconds to complete 10 questions. By Friday he can complete 10 questions in 42 seconds. How much quicker is he by Friday? Look at the two clocks below. How much time has passed between the first and the second clock? 	 Henry measures the time it takes for three of his friends to do 30 star jumps. He wants to find out who is the quickest. Henry says: The person with the highest time is the winner because the highest score always wins! Is Henry correct? Explain your reasoning. Order the times below from shortest time to longest time. 83 seconds 1 minute 12 seconds 26 seconds 2 minutes 2 seconds 1 minute 87 seconds 1 Associated 	 Ashrita Furman is famous for holding the most world records at the same time, 131! Below is a list of world records he has broken travelling one mile on different equipment. Estimate and order the records from the one you think is quickest to the one you think took the longest. (Remove information in brackets until after activity) Pool Cue balancing on finger (6min 55s) On a Space Hopper (13 min) Sack Race (16min 41s) Pogo stick whilst juggling (23min 28s) Hula hooping whilst balancing a milk bottle on head (13min 37s) Pushing an orange with your nose. (22min 41s) Playing tiddlywinks (23min 22s) How long do you think it would take you? See how long it takes you to complete some of the challenges over 100min.



Year 3

	National Curriculum Statement		All Students	
	National Ourriculum Otatement	Fluency	Reasoning	Problem Solving
Fractions	Recognise and use fractions as numbers: unit fractions and non-unit fractions with small denominators.	 Write the fractions shaded in the shapes below. Image: a shape below. Image: a shape below. Find ½ of 16. Find ½ of 16. Find ¼ of 16. Find ¼ of 16. Find ¼ of 16. Shade in ³/₈ of each of the diagrams below. 	 These shapes are divided into eight equal parts. Do you agree? Explain your thinking. Image: The second second	 Can you shade this diagram in different ways to show ¹/₂, ¹/₃, ¹/₆ and ¹/₉ How can you cut a doughnut into eight equal pieces with only three cuts of a knife? On Sam's ninth birthday he gets a cake that has the numbers 0 - 9 round the edge instead of candles. Starting from the centre, Sam cuts the cake with three cuts into three pieces so that the numbers on each piece add up to the same total. What total does each piece make? What fraction of the whole cake is each piece?



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	National Curriculum Statement	All Students		
	National Curriculum Statement	Fluency	Reasoning	Problem Solving
Fractions	Recognise, find and write fractions of a discrete set of objects: unit fractions and non-unit fractions with small denominators.	 Complete the fractions to describe the set of objects. T T<th> Find the fraction of each colour of skittles. Sahil says: Sahil says: If I take away 5 yellow skittles, I will have to change all my fractions." Do you agree? Explain your thinking. This is ²/₅ of a set of marbles. How many would be in the whole set? If is a set of marbles. How many would be in the whole set? </th><th> Kayleigh has 12 chocolates. On Friday, she ate ¹/₄ of her chocolates and gave one to her mum. On Saturday, she ate ¹/₂ her chocolates, and gave one to her brother. On Sunday, she ate ¹/₃ of her chocolates. How many did she have left? What fraction of her starting number is this? I cut my pizza into 4 equal parts and I eat two of them. My friend cuts each of the remaining slices in half and eats two of them. How much of the original pizza is left? </th>	 Find the fraction of each colour of skittles. Sahil says: Sahil says: If I take away 5 yellow skittles, I will have to change all my fractions." Do you agree? Explain your thinking. This is ²/₅ of a set of marbles. How many would be in the whole set? If is a set of marbles. How many would be in the whole set? 	 Kayleigh has 12 chocolates. On Friday, she ate ¹/₄ of her chocolates and gave one to her mum. On Saturday, she ate ¹/₂ her chocolates, and gave one to her brother. On Sunday, she ate ¹/₃ of her chocolates. How many did she have left? What fraction of her starting number is this? I cut my pizza into 4 equal parts and I eat two of them. My friend cuts each of the remaining slices in half and eats two of them. How much of the original pizza is left?



	National Curriculum Statement	All Students		
	National Curriculum Statement	Fluency	Reasoning	Problem Solving
Fractions	Count up and down in tenths.	 Shade the diagram to continue the pattern. Finish the sequences: ¹/₁₀, ²/₁₀, ³/₁₀, ⁻/₋, ⁻/₋ Finish the sequences: ¹⁰/₁₀, ⁹/₁₀, ⁸/₁₀, ⁻/₋, ⁻/₋ What comes next? Five tenths, six tenths, seven tenths, Four tenths, three tenths, two tenths, Mine tenths, eight tenths, seven tenths, Mine tenths, eight tenths, seven	 Circle and explain the mistakes in the sequences below. 1/10 2/10 4/10 5/10 6/10 9/10 8/10 7/10 6/10 Jack is counting in tenths aloud. Five tens, six tens, seven tens, eight tens. Jasmine tells Harry that he's made a mistake but she can't explain what he's done wrong. Can you finish Jasmine's sentence to help her explain to Jack what he has done wrong and why? 'You have made a mistake because 	 Order the diagrams and describe how you have ordered them. Image: Constraint of the second seco



	National Curriculum Statement			
		Fluency	Reasoning	Problem Solving
Fractions	Recognise that tenths arise from dividing an object into 10 equal parts and in dividing one-digit numbers or quantities by 10.	• Here is a number line from 0 - 1. Can you fill in the missing fractions on the number line? • Write the fraction of the shape that is shaded. • Write the fraction of the shape that is shaded. • Draw and shade shapes to show the following fractions. $\frac{1}{10} = \frac{6}{10} = \frac{8}{10}$	• What do you notice in the number sentences below? $\frac{1}{10} \text{ of } 10 = 1$ $\frac{2}{10} \text{ of } 10 = 2$ $\frac{3}{10} \text{ of } 10 = 3$ Can you continue the pattern up to $\frac{10}{10} ?$ • What do you notice in the number sentences below? $\frac{1}{10} \text{ of } 20 = 2$ $\frac{2}{10} \text{ of } 20 = 4$ $\frac{3}{10} \text{ of } 20 = 6$ Can you continue the pattern up to $\frac{10}{10} ?$ • Three pizzas are shared equally between ten children. If each pizza is cut into 10 pieces, how many pieces will each child get? Prove it using a picture or diagram.	• Lara has 30 cherries. On Monday she gives $\frac{1}{10}$ of the cherries to her mum and then eats 7. On Tuesday she eats $\frac{2}{10}$ of the cherries and gives 6 to her mum. On Wednesday she eats $\frac{5}{10}$ of the cherries. How many cherries does she have left? • What do all the diagrams below have in common?



