

Mastery Overview Spring



#### **SOL Overview**

As well as providing term by term overviews for the new National Curriculum, as a Maths Hub we are aiming to support primary schools by providing more detailed Schemes of Learning, which help teachers plan lessons on a day to day basis.

The following schemes provide exemplification for each of the objectives in our new term by term overviews, which are linked to the new National Curriculum. The schemes are broken down into fluency, reasoning and problem solving, which are the key aims of the curriculum. Each objective has with it examples of key questions, activities and resources that you can use in your classroom. These can be used in tandem with the mastery assessment materials that the NCETM have recently produced.

We hope you find them useful. If you have any comments about this document or have any ideas please do get in touch.

Thank you for your continued support with all the work we are doing.

#### The White Rose Maths Hub Team

#### Assessment

Alongside these curriculum overviews, our aim is also to provide an assessment for each term's plan. Each assessment will be made up of two parts:

**Part 1:** Fluency based arithmetic practice **Part 2:** Reasoning based questions

You can use these assessments to determine gaps in your students' knowledge and use them to plan support and intervention strategies.

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The autumn term assessments are now available. we aim to have the spring term assessments completed by February half term.



#### **Teaching for Mastery**

These overviews are designed to support a mastery approach to teaching and learning and have been designed to support the aims and objectives of the new National Curriculum.

The overviews:

- have number at their heart. A large proportion of time is spent reinforcing number to build competency.
- ensure teachers stay in the required key stage and support the ideal of depth before breadth.
- ensure students have the opportunity to stay together as they work through the schemes as a whole group.
- provide plenty of time to build reasoning and problem solving elements into the curriculum.

#### **Concrete – Pictorial – Abstract**

As a hub we believe that all students, when introduced to a key new concept, should have the opportunity to build competency in this topic by taking this approach.

**Concrete** – students should have the opportunity to use concrete objects and manipulatives to help them understand what they are doing.

**Pictorial** – students should then build on this concrete approach by using pictorial representations. These representations can then be used to reason and solve problems.



An example of a bar modelling diagram used to solve problems.

**Abstract** – with the foundations firmly laid, students should be able to move to an abstract approach using numbers and key concepts with confidence.



#### **Frequently Asked Questions**

#### We have bought one of the new Singapore textbooks. Can we use these curriculum plans?

Many schools are starting to make use of a mastery textbook used in Singapore and China, the schemes have been designed to work alongside these textbooks. There are some variations in sequencing, but this should not cause a large number of issues.

#### If we spend so much time on number work, how can we cover the rest of the curriculum?

Students who have an excellent grasp of number make better mathematicians. Spending longer on mastering key topics will build a student's confidence and help secure understanding. This should mean that less time will need to be spent on other topics.

In addition schools that have been using these schemes already have used other subjects and topic time to teach and consolidate other areas of the mathematics curriculum.

### My students have completed the assessment but they have not done well.

This is your call as a school, however our recommendation is that you would spend some time with the whole group focussing on the areas of the curriculum that they do not appear to have grasped. If a couple of students have done well then these could be given rich tasks and deeper problems to build an even deeper understanding.

#### Can we really move straight to this curriculum plan if our students already have so many gaps in knowledge?

The simple answer is yes. You might have to pick the correct starting point for your groups. This might not be in the relevant year group and you may have to do some consolidation work before.

These schemes work incredibly well if they are introduced from Year 1 and continued into Year 2, then into Year 3 and so on.



#### **NCETM Mastery Booklets**

In addition to the schemes attached the NCETM have developed a fantastic series of problems, tasks and activities that can be used to support 'Teaching for Mastery'. They have been written by experts in mathematics.

It will also give you a detailed idea of what it means to take a mastery approach across your school.

Information can be found on the link below.

https://www.ncetm.org.uk/resources/46689

#### WRMH Primary Network

Over the past 12 months we have been working with a company called MyFlo to develop a free online platform where teachers from across our region (and wider) can share their own resources and lesson plans based on this new curriculum. All our overviews, schemes and assessment materials will be made available on the MyFlo network.



#### **Everyone Can Succeed**

As a Maths Hub we believe that all students can succeed in mathematics. We do not believe that there are individuals who can do maths and those that cannot. A positive teacher mindset and strong subject knowledge are key to student success in mathematics.

#### **More Information**

If you would like more information on 'Teaching for Mastery' you can contact the White Rose Maths Hub at <u>mathshub@trinityacademyhalifax.org</u>

We are offering courses on:

- Bar Modelling
- Teaching for Mastery
- Year group subject specialism intensive courses become a Maths expert.

Our monthly newsletter also contains the latest initiatives we are involved with. We are looking to improve maths across our area and on a wider scale by working with other Maths Hubs across the country.



### Year 4 Overview

	Week 1	Week 2	Week 3	Week 4	Week 5	Week 6	Week 7	Week 8	Week 9	Week 10	Week 11	Week 12
Autumn	Number: Place Value		er: Addition and Subtraction Number: Multiplica		ation and	Division		rement: ea				
Spring	Number: Fractions				Number:	Decimals			rement: ney			
Summer	MeasurementMeasurementMeasurementImage: SequenceImage: Sequence		Stati	stics	Area	rement: a and neter						



Year G	iroup	Y4	Term	Spring							
Week 1	Week	2 Week 3	Week 4	Week 5	Week 6	Week 7	Week 8	Week 9	Week 10	Week 11	Week 12
common ed Count up at hundredths hundred an Solve probl fractions to divide quan the answer	quivalent fra nd down in arise when d dividing to ems involvin calculate q is a whole i is a whole i	hundredths; re dividing an ob enths by ten. ng increasingly uantities, and f ding non-unit fr	cognise that ject by one harder ractions to actions where	Time Convert between different units of measure, e.g. hour to minute.Read, write & convert time between analogue and digital 12 and 24 hour clocks.Solve problems involving converting from hours to minutes; minutes to seconds; years to months; weeks to days.	number of ter Recognise ar Find the effect by 10 or 100, the answer a Round decim nearest whole Compare nur	nths or hundre nd write decin ct of dividing a identifying th s ones, tenths als with one o e number. nbers with the	nal equivalent edths. nal equivalent a one or two d be value of the s and hundred decimal place e same numb lecimal places	is to $\frac{1}{4}, \frac{1}{2}, \frac{3}{4}$ ligit number digits in dths. to the er of	Measuremen Solve simple and money p involving frac decimals to tw decimal place Estimate, cor and calculate measures, ind money in pou pence.	measure roblems tions and wo es. hpare different cluding	Time at the beginning or end of the term for consolidation, gap filling, seasonal activities, assessments, etc.



	National Curriculum Statement		All students	
	National Curriculum Statement	Fluency	Reasoning	Problem Solving
		• Complete the statements: $\frac{1}{8} = \frac{1}{4}$	• A pizza is cut into 8 slices. Zara says, "If I take half of the pizza, and my brother takes 4 slices, we will both have the same amount." Is she correct? Convince me by using a diagram.	• Harry says, " $\frac{3}{4}$ is always the same as $\frac{6}{8}$ " Jenny says, " $\frac{3}{4}$ is equivalent to $\frac{6}{8}$ but isn't always the same amount." Use diagrams to show and prove your answer.
tions	Recognise and show, using diagrams,	$\frac{2}{3} = \frac{4}{5}$	Look at the three pictures. What's the same and what's different?	<ul> <li>Use the digit cards to fill in the boxes below.</li> <li>1 1 2 3</li> <li>5 5 6</li> </ul>
Fractions	families of common equivalent fractions.	<ul> <li>½ is equivalent to 2 quarters. Write and draw three more fractions that are equivalent to a half.</li> </ul>	<ul> <li>Two paper strips are ripped. Which paper strip was originally the longest? Explain</li> </ul>	<ul> <li>Print the square below several times on a sheet. Children investigate the different</li> </ul>
		• Draw diagrams to show fractions that are equivalent to $\frac{4}{8}$	your answer. $\frac{1}{5}$ $\frac{1}{5}$	ways they can show $\frac{1}{2}, \frac{1}{4}, \frac{1}{3}, \frac{1}{6}$





	National Curriculum Statement		All students			
	National Curriculum Statement	Fluency	Reasoning	Problem Solving		
Fractions	Count up and down in hundredths; recognise that hundredths arise when dividing an object by one hundred and dividing tenths by ten.	<ul> <li>Use the number line to count from 0.05 to 0.12. How many steps did you take?</li> <li>0.1</li> <li>0.05 0.06 0.07 0.08 0.09 0.10 0.11 0.12 0.13 0.14 0.15</li> <li>Count up from 0 on the number line to find the value of the missing amounts.</li> <li>0.1</li> <li>0.1</li> <li>0.2</li> <li>Continue the sequences:</li> <li>2.45, 2.46, 2.47,,,</li> <li>4.32, 4.31, 4.30,,,</li> </ul>	<ul> <li>Convince me that 4.27 is halfway between 4.22 and 4.32.</li> <li>Write down a fraction that could go in each section of the number line.</li> <li>A B C D E</li> <li>A B C D E</li> <li>0 0.25 0.5 0.75 1 1.5</li> <li>Jasper says, "If I multiply ten by ten I get one hundred so if I multiply tenths by ten I get hundredths." Do you agree? Explain your answer; use a place value grid to help.</li> </ul>	<ul> <li>Fill in the gaps to find the missing numbers.</li> <li>0.15</li> <li>0.35</li> <li>0.17</li> <li>0.22</li> <li>If the arrow is pointing to 4.56, what could the start and end numbers be? Can you find more than one option?</li> <li>Amber is counting up in hundredths, she has dropped three counters. Write down the number Amber could have made and the next four numbers she would have said. How many different ways can you solve the problem?</li> <li>If the problem?</li> </ul>		



# Year 4

	National Curriculum Statement		All students	
	National ourriculum otatement	Fluency	Reasoning	Problem Solving
Fractions	Solve problems involving increasingly harder fractions to calculate quantities, and fractions to divide quantities, including non-unit fractions where the answer is a whole number.	<ul> <li>Find: <sup>2</sup>/<sub>5</sub> of 45 <sup>3</sup>/<sub>8</sub> of 24</li> <li>Emily buys a box of 24 chocolates. She eats <sup>1</sup>/<sub>4</sub> of the chocolates and her Mum eats <sup>1</sup>/<sub>3</sub>. How many chocolates are left?</li> <li>George and Grace have ordered lemonade. Grace has a small lemonade which is 250ml. George has a large lemonade which is <sup>4</sup>/<sub>10</sub> more than a small. How many ml does George have?</li> <li>If George only drinks half of his lemonade and Grace drinks three quarters of her lemonade, who drinks the most? Show your working.</li> </ul>	<ul> <li>The school kitchen needs to buy potatoes for lunch. A large bag has 200 potatoes and a medium bag has <sup>3</sup>/<sub>5</sub> of a large bag.</li> <li>The school cook says, "I need 150 potatoes so I will have to buy a large bag." Is she correct? Explain your reasoning.</li> <li>True or False <ul> <li>To find <sup>3</sup>/<sub>8</sub> of a number, divide by 3 and multiply by 8. Convince me.</li> </ul> </li> <li>The two squares below are <sup>2</sup>/<sub>6</sub> of a rectangle. Can you draw the rest of the rectangle? Can you do it more than one way?</li> </ul>	<ul> <li>These three squares are <sup>1</sup>/<sub>4</sub> of a whole shape.</li> <li>How many different shapes can you draw that could be the complete shape?</li> <li>Jenny has 42 stickers. She gives <sup>3</sup>/<sub>7</sub> of her stickers to Paul and <sup>2</sup>/<sub>6</sub> of her stickers to Beth. How many stickers do they each have?</li> <li>Work out the answer to each question to make it through the maze.</li> </ul>



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# Year 4

	National Curriculum		All students	
	Statement	Fluency	Reasoning	Problem Solving
Fractions	Add and subtract fractions with the same denominator.	<ul> <li>Calculate:</li> <li>Calculate:</li> <li>+ = =</li> <li>Use diagrams and bar modelling to solve the problems below.</li> <li>3/8 + 2/8 = 1/6 + 2/6 =</li> <li>7/8 - 2/8 = 5/7 - 2/7 =</li> <li>Sarah eats 3/8 of a bunch of grapes; Tom eats 2/8 of a bunch of grapes. What fraction of the grapes have they eaten altogether?</li> <li>Fill in the box:</li> <li>5/8 + - = 7/8</li> <li>5/6 - = 1/6</li> </ul>	• The answer is $\frac{4}{9}$ ; what is the question? • True or False $\frac{5}{12} + \frac{3}{12} = \frac{8}{12}$ $\frac{5}{12} + \frac{3}{12} = \frac{8}{24}$ $\frac{5}{12} + \frac{3}{12} = \frac{4}{6}$ Explain your reasoning. • Describe the pattern: $\frac{7}{10} - \frac{1}{10} = \frac{6}{10}$ $\frac{6}{10} - \frac{1}{10} = \frac{5}{10}$ Can you continue the pattern?	<ul> <li>Caroline chooses two fractions and subtracts the smaller one from the bigger one. Her answer was <sup>1</sup>/<sub>6</sub>. What fractions could Caroline have chosen? How many ways can you find to do it?</li> <li>Find three ways to complete each calculation.</li> <li>+ = = <sup>8</sup>/<sub>9</sub></li> <li>- = <sup>8</sup>/<sub>9</sub></li> <li>Dan has 2 pieces of rope. One is <sup>2</sup>/<sub>8</sub> of the whole rope and one is <sup>2</sup>/<sub>4</sub>. Dan adds <sup>4</sup>/<sub>8</sub> to the first rope and <sup>1</sup>/<sub>4</sub> to the second rope. Which rope is longer? Do you notice anything about the lengths of the ropes?</li> </ul>



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	National Curriculum		All students	
	Statement	Fluency	Reasoning	Problem Solving
Measurement - Time	Convert between different units of measure e.g. hour to minute.	<ul> <li>Fill in the gaps: <ol> <li>hour =</li></ol></li></ul>	<ul> <li>James says, "To convert hours to minutes, I multiply the number of hours by 60" Is he correct? Can you explain why?</li> <li>Mark is doing a sponsored silence. Mark says, "If I am silent for five hours at 10p per minute I will raise 50 pounds." Is he correct? Prove it.</li> <li>True or False <ul> <li>4 minutes is shorter than 250 seconds. Show your working.</li> </ul> </li> </ul>	<ul> <li>Five friends are running a race. Their times are below. Can you work out in what order they finished?</li> <li>Emily: 1 minute 32 seconds</li> <li>Simon: 95 seconds</li> <li>Lucy: 1 minute 28 seconds</li> <li>Tony: 89 seconds</li> <li>Carrie: 100 seconds</li> <li>What was the difference between the fastest time and the slowest time?</li> <li>Match the cards together to make a loop where correct answers are next to each other.</li> <li>60 min</li> <li>60 sec</li> <li>120 sec</li> <li>180 sec</li> <li>180 min</li> <li>3 hours</li> <li>1 hour</li> <li>3 mins</li> <li>3 hours</li> <li>1 hour</li> <li>3 mins</li> <li>365 days</li> <li>1 year</li> <li>5 hours</li> <li>1 year</li> </ul>



	National Curriculum	All students				
	Statement	Fluency	Reasoning	Problem Solving		
Measurement - Time	Read, write & convert time between analogue and digital 12 and 24 hour clocks.	<ul> <li>Read and write the following times in <ul> <li>a) 24 hour clock</li> <li>b) 12 hour clock</li> <li>c) analogue</li> </ul> </li> <li>e.g. Quarter past 2 in the afternoon: <ul> <li>a) 14:15</li> <li>b) 2:15pm</li> </ul> </li> <li>() (1) (1) (1) (2) (1) (2) (1) (2) (2) (2) (2) (2) (2) (2) (2) (2) (2</li></ul>	<ul> <li>Sam says ' To change any time after midday from 12 hour to 24 hour clock just add 12 to the minutes'. Is he correct? Can you explain his thinking?</li> <li>Laura is writing the time 21:35 on the analogue clock below.</li> <li> ① Can you make her time even more accurate? Explain your reasoning. </li> <li>Three children are meeting in the park. Sam says 'We are meeting at 14:10. </li> <li> Laura says 'We are meeting at ten to two. </li> <li> Tom says 'We are meeting at ten to two. </li> <li> Will all the children meet at the same time? Convince me.</li></ul>	<ul> <li>Can you match the analogue clocks to the digital time even though one of the hands is missing?</li> <li> <ul> <li> <li> <ul> <li> <li> <li> <li> </li></li></li></li></ul> </li> <li> <li> <ul> <li></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></ul></li></li></li></ul></li></ul>		





	National Curriculum		All students
	Statement	Fluency	Reasoning Problem Solving
Measurement - Time		<ul> <li>Match the times; fill in the missing times in the empty boxes.</li> <li>11:30pm</li> <li>6:30pm</li> <li>2:30pm</li> <li>14:30</li> <li>23:30</li> <li>08:30</li> <li>08:30</li> <li>05:30</li> </ul> • A full day at school is 8 hours and 35 minutes. How long is this in minutes? • Sarah is 7 years and 2 months old. Harry is 85 months old. Who is the oldest? Show your working.	<ul> <li>Hannah is travelling from Halifax to London by car; it takes 4 hours 30 minutes there and can choose 3 activities to do while she is there.</li> <li>Tara is going to Blackpool for a day. She has 4 hours 30 minutes there and can choose 3 activities to do while she is there.</li> <li>Which activities could she choose to do? How much time would they fill? How many combinations of activities can you find?</li> <li>Phil says, "6420 seconds is longer than 107 minutes." Do you agree? Explain your reasoning.</li> <li>James says, "In a year with 365 days, there is one month that has an exact number of weeks." Which month has an exact number of weeks? Does it have an exact number every year?</li> <li>It is the 6<sup>th</sup> of November. Can you work out when Jan, Tim and Saira's birthdays are using the clues below?</li> <li>Jan: "It is my birthday in 3 weeks and 2 davs."</li> <li>Saira: "It was my birthday 2 weeks and 72 hours ago."</li> </ul>



# Year 4

	National Curriculum		All students	
	Statement	Fluency	Reasoning	Problem Solving
Decimals	Recognise and write decimal equivalents of any number of tenths or hundredths.	<ul> <li>Complete the table:</li> <li>         Fraction Decimal 6 10          </li> <li>         Fraction Decimal 0.2      </li> <li>             0.2         </li> <li>             37         </li> <li>             Match the fraction to the correct decimal.         </li> <li>             6.1         </li> <li>             6.1</li></ul>	<ul> <li>Give the children 2 ones in place value counters.</li> <li>Explain that we are going to try and divide them by 10. Show we need to exchange our 2 ones for 20 tenths.</li> <li>Now when we share between 10 groups we have 0.2. This proves that 2/10 = 0.2.</li> <li>Can the children use this to prove that 5/10= 0.5, 4/10=0.4 etc.</li> <li>Helen, Adam and Sam are talking about which fractions are equivalent to 0.4.</li> <li>Adam: '<sup>4</sup>/<sub>10</sub> is equivalent to 0.4'</li> <li>Heler: '<sup>40</sup>/<sub>100</sub> is equivalent to 0.4'</li> <li>Sam: <sup>1</sup>/<sub>4</sub> is equivalent to 0.4'</li> <li>Who is correct? Justify your answer.</li> </ul>	<ul> <li>Use the five digit cards to complete the statement below.</li> <li>0</li> <li>0</li> <li>1</li> <li>6</li> <li>6</li> <li></li></ul>

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	National Curriculum		All students	
	Statement	Fluency	Reasoning	Problem Solving
Decimals	Recognise and write decimal equivalents to $\frac{1}{4}, \frac{1}{2}, \frac{3}{4}$	• Fill in the table: $ \frac{\overline{raction}  Decimal}{1} $ $ \frac{1}{2} $ $ \frac{1}{4} $ $ \frac{1}{2} $	• Using place value counters, show that 1 divided into 2 equal parts is 0.5. Can you show that 1 divided into 4 equal parts is the same as 0.25? • Explain how you know $0.5 = \frac{1}{2}$ • Harry has written the decimal equivalents to a half and a quarter. Can you explain to him what he has done wrong? What could you use to show him? Harry: $\frac{1}{2} = 1.2$ $\frac{1}{4} = 1.4$	<ul> <li>Use the number cards 0 - 5 below to complete the number sentence.</li> <li>Image: Image: Im</li></ul>



	National Curriculum		All students		
	Statement	Fluency	Reasoning	Problem Solving	
Decimals	Find the effect of dividing a one or two digit number by 10 or 100, identifying the value of the digits in the answer as ones, tenths and hundredths.	<ul> <li>Use a place value flip chart to make a two digit number. Multiply the number by 10, which direction did the digits move? Start with the same 2 digit number. Divide the number by 10, which direction did the digits move this time? What number have you got? Repeat multiplying and dividing by 100.</li> <li>Complete the table below:</li> <li><u>Starting ÷ 10 ÷ 100</u> <u>number</u> <u>34</u> <u>57</u> <u>60</u> <u>7</u></li> <li>Junaid is dividing 2 by 10. Draw where his counters will end up and write the answer.</li> </ul>	<ul> <li>I divide a number by 100 and the answer is 0.5. What number did I start with?</li> <li>True or False</li> <li>A two digit number divided by 10 always gives an answer with one decimal place. E.g. 52 ÷ 10 = 5.2 Prove it.</li> <li>Jessie and Tao are dividing numbers by 10 and 100. They start with the same 1 digit number. Jessie divides by 10 and says, "My number has 0 ones and 4 tenths". Tao divides by 100 and says, "My number has 0 ones, 0 tenths and 4 hundredths." What number did they start with? Prove it.</li> </ul>	<ul> <li>Kainat has multiplied a number by 100. Her answer is between 40 and 45. What number could she have multiplied? How many possibilities can you find?</li> <li>Use the number cards below to fill in the missing digits.</li> <li>0 ÷10 = .</li> <li>.4 x 10 = 3</li> <li>8 ÷100 = .86</li> <li>2 x 100 = .86</li> <li>2 x 100 = .20</li> <li>You can use the cards more than once.</li> <li>9 7 3 2 1</li> <li>8 4 9 5 6</li> </ul>	





	National Curriculum Statement	All students			
		Fluency	Reasoning	Problem Solving	
Decimals	Round decimals with one decimal place to the nearest whole number.	<ul> <li>Round the following numbers to the nearest whole number:</li> <li>3.2 = 4.7 = 25.5 =</li> <li>Write all the decimals with one decimal place that round to 32 to the nearest whole number.</li> <li>Sort the numbers below into the table rounding each of them to the nearest whole number.</li> <li>23.1 23.2 24.4</li> <li>23.5 23.4 24.3</li> <li>23.9 22.8 22.5</li> </ul>	<ul> <li>Which decimals below round to 4 when rounded to the nearest whole number? <ul> <li>4.2, 3.8, 4.5, 3.5, 4.7</li> </ul> </li> <li>Explain your reasoning.</li> <li>Two numbers with one decimal place both round to 23. The numbers add up to 46. What could the two numbers be? Explain your thinking.</li> <li>Write a list of five instructions of how to round decimals with one decimal place to the nearest whole number.</li> </ul>	<ul> <li>Roll two dice. Using the numbers make two numbers with one decimal place. Round the numbers to the nearest whole number. How many combinations of the two dice can you find that would round to the same whole number?</li> <li>Using the digit cards below, how many numbers can you make with one decimal place that would round to 45. You can only use each card once per number.</li> <li>3 4 4 5 6</li> <li>Can you make more or less numbers that round to 46?</li> <li>If you were given this number card:</li> <li>To wany numbers could you make that round to 47?</li> </ul>	

\*MathsHUBS White Rose

## Year 4

	National Curriculum	All students		
Statement	Fluency	Reasoning	Problem Solving	
Decimals	Compare numbers with the same number of decimal places up to two decimal places.	<ul> <li>Fill in &lt; and &gt; in the boxes below:</li> <li>3.56 3.62</li> <li>7.21 7.12</li> <li>3.45 3.42</li> <li>Order the decimals below from smallest to largest.</li> <li>3.51 3.48</li> <li>3.52 3.57</li> <li>3.42 3.43</li> <li>Laura has £3.45, Hamid has £4.35. Who has the most money?</li> </ul>	<ul> <li>Serena says, "When I am comparing numbers with 2 decimal places, the number with the largest number of hundredths is the largest number." Is she correct? Explain your thinking.</li> <li>The numbers below are ordered from smallest to largest. Circle the mistake.</li> <li>4.52, 4.63, 4.62, 4.65, 4.68 Can you replace the mistake with a number that would fit in the sequence? </li> <li>Put a digit in each box to order the decimals in ascending order.</li> </ul>	<ul> <li>How many different numbers with 2 decimal places can you make using the grid below and four counters? One has been done for you.</li> <li>10s 1s 0.1s 0.01s</li> <li>0</li> <li>0&lt;</li></ul>

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	National Curriculum	All students		
	Statement	Fluency	Reasoning	Problem Solving
Money	Solve simple measure and money problems involving fractions and decimals to two decimal places.	<ul> <li>A box of chocolates costs £1.25. Hannah and Thomas want to buy 4 boxes of chocolates. If Hannah pays £2.45, how much must Thomas pay?</li> <li>Emma has five pounds. She spends a quarter of her money. How much does she have left?</li> <li>In the sale I bought some clothes for half price. Jumper £14 Scarf £7 Hat £2.50 T-shirt £6.50</li> <li>How much would the clothes have been full price? How much did I spend altogether? How much did I save?</li> </ul>	<ul> <li>A class is planning a trip to a theme park. Adult tickets cost £8. Children's tickets could they buy for £100. How many different ways can you find to do this?</li> <li>Hazel buys a teddy bear for £6.00, a board game for £4.00, a cd for £5.50 and a box of chocolates for £2.50. She has some discount vouchers. She can either get £10.00 off or half price on her items. Which voucher would save her more? Explain your thinking.</li> <li>Yasmin is choosing a new mobile phone. One phone costs £5.50 per month. The other costs £65.50 for a year. Which is the better deal over a year?</li> </ul>	<ul> <li>Kim bought a chocolate bar and a drink. The cost of them both together is in one of the boxes below.</li> <li> £1.85 75p £1.56 £1.74 £2.25 £1.00 £1.80 80p £2.10 £1.44 £3.06 £1.50 £1.20 £1.25 £1.60 £1.45 90p £1.27 </li> <li>Using these five clues can you work out which price in the boxes is correct?</li> <li>You need more than three coins to make this amount.</li> <li>There would be change when using the most valuable coin to buy them.</li> <li>The chocolate bar cost more than 50p</li> <li>You could pay without using any copper coins</li> <li>The chocolate bar cost exactly half the amount of the drink.</li> </ul>



	National Curriculum	All students		
	Statement	Fluency	Reasoning	Problem Solving
Money	Estimate, compare and calculate different measures, including money in pounds and pence.	<ul> <li>Order the following amounts placing &lt; or &gt; between them. £25.62, 2657p, 2567p.</li> <li>Robbie buys a toy car for 99p, a yoyo for £1.05, three sweets for 30p each and a chocolate bar for 47p. Does he have enough money to pay with a £5 note?</li> <li>Martina buys a jacket for 2165p and a t shirt for £9.99. Hamid buys a coat for £32.00. Who spends the most?</li> </ul>	<ul> <li>Which would you rather have, three quarters of £2.40 or one quarter of £6? Explain your reasoning.</li> <li>Which would you rather have, five 50p coins or 12 20p coins? Explain why.</li> <li>1 chocolate bar costs the same as 4 sweets. 4 sweets cost the same as 2 stickers. 1 sticker costs 30p. How much does the chocolate bar cost?</li> </ul>	<ul> <li>Choose a route through the money maze. You can only go on each square once. Can you find the route that makes the highest amount of money? Which route makes the lowest amount of money?</li> <li>Image: Start + £50 + Halve it the fill + £50 + Halve it the fill + £50 + £25 + £25 + £100 + £20 + £25 + £150 + £20 + £25 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20 + £20 + £15 + £100 + £20</li></ul>



